

① a)  $y = 4,156,119 (1.0113)^1 = 4,203,000$  people

b)  $P(n) = 4,156,119 (1.0113)^n$

c)  $y = 4,156,119 (1.0113)^{12} = 4,752,000$  people

② a) expon.  $a = 11$   $b = 4$       b) not expon.

c) not expon.      d) expon.  $a = 1$   $b = 0.6$

③ a)  $A = 4000 (1.08)^t$

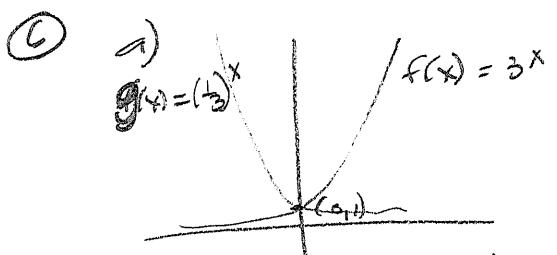
b)  $A = 4000 (1.08)^{44} = 118,223.89$

c)  $\frac{118,223.89}{1.08^{48}} = \frac{X (1.08)^{48}}{1.08^{48}}$

$X = \$2740.12$

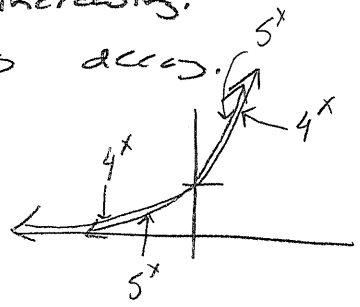
④ a)  $a = 3$       b)  $b = 2$

⑤ a) false      b) decay



b) - Same domain and range, same y-int.  $g(x)$  is decreasing,  $f(x)$  is increasing.

c)  $g(x)$  is decay.



⑦ a)  $g(x)$       b)  $f(x)$       c)

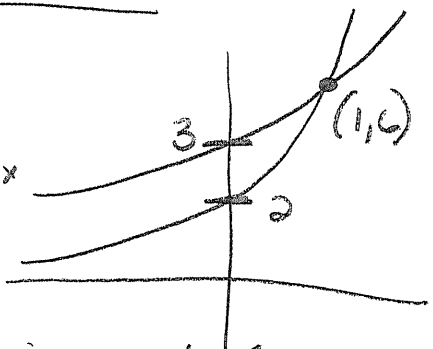
⑧ a)  $g(x)$

b) when  $x = 1$   $g(x) = 6$  and  $f(x) = 6$

c)  $f(x) < g(x)$  when  $x < 1$

$g(x) \rightarrow y = 3 \cdot 2^x$

$f(x) \rightarrow y = 2 \cdot 3^x$



⑨ a) B

b)  $y = 12$  when  $x = 0$  is the initial value

- Growth factor is  $1/2$  because as  $x$  increases by 1,  $y$  is cut in half.

⑩ a)  $y = 1,322,000,000 (1.006)^8 = 1,386,804,487$  people

b)  $y = 1,322,000,000 (1.009)^8 = 1,420,236,877$  people

\*33,432,1190 greater

11) a)  $y = 20(.9)^x$   
 $y = 20(.9)^1 = 18 \text{ ft}^3$   
 $y = 20(.9)^2 = 16.2 \text{ ft}^3$   
 $y = 20(.9)^3 = 14.58 \text{ ft}^3$

b)  $20(0.9)^n$

c)  $20(.9)^6 = 10.63 \text{ ft}^3$  - False, more than half  
 NOT decayed.

12)  $y = x^2$

- a) Quadratic
- b) R:  $\{y \mid y \geq 0\}$
- c) y-int: 0
- d) No asymptote

$y = 2^x$

- a) Exponential
- b) R:  $\{y \mid y > 0\}$
- c) y-int: 1
- d) asymptote: X-axis  
 $y = 0$